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**Author:** This line will be completed by the MR staff.

**Short title:** This line will be completed by the MR staff.

**Control number:** 1803158

**Primary classification:** 81Q05

**Secondary classification(s):** 33E10 34C14

**Review text:**

There exists a monograph (A. G. Ushveridze, Quasi-exactly solvable models in Quantum Mechanics, IOPP, Bristol, 1994, ISBN 0 7503 0266 6) which clarifies the subject in a broader context, and several reviews (e.g., A. V. Turbiner, Quasi-exactly solvable problems and  $sl(2)$  algebra, Commun. Math. Phys. 118, 467 (1988)) emphasizing its immediate  $sl(2)$  connection. In this context, the letter in question contributes by paying attention to the associated Lamé form of the analyzed Schrödinger equation, and extends the set of its particular solutions as listed in ref. [8]. Being just an announcement of a full paper in preparation (ref. [11]), the text's appeal lies, by my opinion, in the presentation of a few closed solutions for the half-integer Lamé parameters, some of which have quite a non-standard form of a square root of an elliptic (i.e., Jacobi-function) multinomial. One would like to see a move beyond the (presented) first few cases in order to evaluate the real promise of the indicated direction of the construction of closed solutions. In principle, such a step could prove both too difficult (based on a solution of non-linear algebraic equation(s) of a higher degree) and less appealing (after all, Appendix A of the above-mentioned book shows a very general method of constructing the quasi-exact quadruplets, without any recourse to Lie symmetries).